

Soc 63993, Homework #6 Answer Key: Interaction effects and group comparisons

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Problem 1. Download *gender.dta* and/or *gender.sav* from the course web page. This is the hypothetical data on gender, income, education, and job experience that you used in homework 5. You will once again examine group differences in the parameters of this model, this time using dummy variables and interaction effects.

1. You are interested in the effects of education and job experience on income, and whether and if there are any differences in the models for men and women. Estimate the following three models using dummy variables and interaction effects (use Stata's factor variable notation to do so):

a. There are no differences by gender – the models are identical for men and women.

When we estimate the constrained model, we get

```
. reg income educ jobexp
```

Source	SS	df	MS			
Model	22352.7545	2	11176.3773	Number of obs =	500	
Residual	23157.8824	497	46.5953368	F(2, 497) =	239.86	
				Prob > F =	0.0000	
				R-squared =	0.4912	
				Adj R-squared =	0.4891	
				Root MSE =	6.8261	
Total	45510.6369	499	91.2036811			

income	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
educ	1.309229	.0838474	15.61	0.000	1.14449	1.473968
jobexp	.8533107	.0670888	12.72	0.000	.7214982	.9851233
_cons	-1.076636	1.205717	-0.89	0.372	-3.445568	1.292295

```
. est store baseline
```

b. The intercepts differ by gender, but the effects of education and job experience are the same for both men and women.

If we regress income on education, job experience, and female, the model is

```
. reg income educ jobexp i.female
```

Source	SS	df	MS			
Model	24326.2478	3	8108.74928	Number of obs =	500	
Residual	21184.389	496	42.7104618	F(3, 496) =	189.85	
				Prob > F =	0.0000	
				R-squared =	0.5345	
				Adj R-squared =	0.5317	
				Root MSE =	6.5353	
Total	45510.6369	499	91.2036811			

income	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
educ	1.281368	.0803805	15.94	0.000	1.12344	1.439296
jobexp	.7738483	.0652862	11.85	0.000	.6455767	.90212
1.female	-4.071767	.5990074	-6.80	0.000	-5.248671	-2.894862
_cons	2.511457	1.269321	1.98	0.048	.0175474	5.005367

```
. est store intonly
```

Note that the t-value for female is significant, suggesting intercepts differ by gender. But, just to be sure, we can also do Wald tests and incremental F tests and LR tests.

```
. testparm i.female
```

```
( 1) 1.female = 0
```

```
F( 1, 496) = 46.21
Prob > F = 0.0000
```

```
. ftest baseline intonly
```

```
Assumption: baseline nested in intonly
```

```
F( 1, 496) = 46.21
prob > F = 0.0000
```

```
. lrtest baseline intonly
```

```
Likelihood-ratio test LR chi2(1) = 44.54
(Assumption: baseline nested in intonly) Prob > chi2 = 0.0000
```

c. The intercepts and slopes differ by gender, i.e. all model parameters are free to differ by gender.

When we also add the the interaction terms, the unconstrained model is

```
. reg income educ jobexp i.female i.female#c.educ i.female#c.jobexp
```

Source	SS	df	MS	Number of obs =	500
Model	29345.68	5	5869.136	F(5, 494) =	179.36
Residual	16164.9569	494	32.7225848	Prob > F =	0.0000
Total	45510.6369	499	91.2036811	R-squared =	0.6448
				Adj R-squared =	0.6412
				Root MSE =	5.7204

	income	educ	jobexp	1.female	female#c.educ	1	female#c.jobexp	1	_cons
Coef.	.8195378	1.384972	6.399958	.7060444	-1.389892	-.9294128			
Std. Err.	.0904314	.0756042	2.315577	.1522692	.1209307	1.264878			
t	9.06	18.32	2.76	4.64	-11.49	-0.73			
P> t	0.000	0.000	0.006	0.000	0.000	0.463			
[95% Conf. Interval]	.6418602 .9972154	1.236426 1.533517	1.850364 10.94955	.4068693 1.005219	-1.627494 -1.15229	-3.414617 1.555792			

```
. est store slopesdiff
. testparm i.female#c.educ i.female#c.jobexp
```

```
( 1) 1.female#c.educ = 0
( 2) 1.female#c.jobexp = 0
```

```
F( 2, 494) = 76.70
Prob > F = 0.0000
```

```
. ftest intonly slopesdiff
Assumption: intonly nested in slopesdiff
```

```
F( 2, 494) = 76.70
prob > F = 0.0000
```

```
. lrtest intonly slopesdiff
```

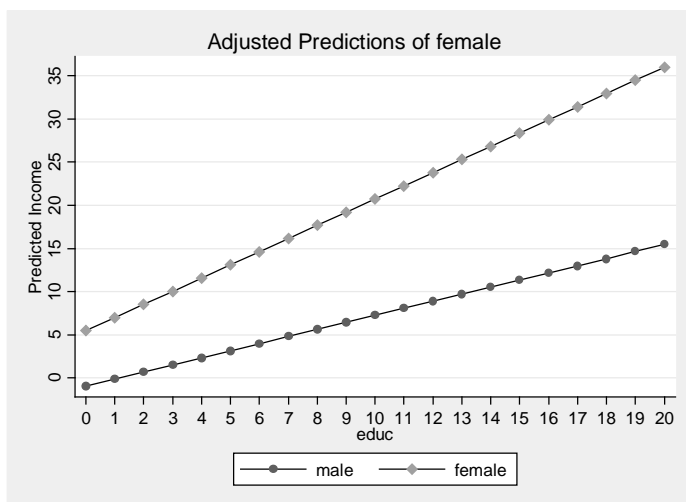
```
Likelihood-ratio test                               LR chi2(2) = 135.21
(Assumption: intonly nested in slopesdiff)          Prob > chi2 = 0.0000
```

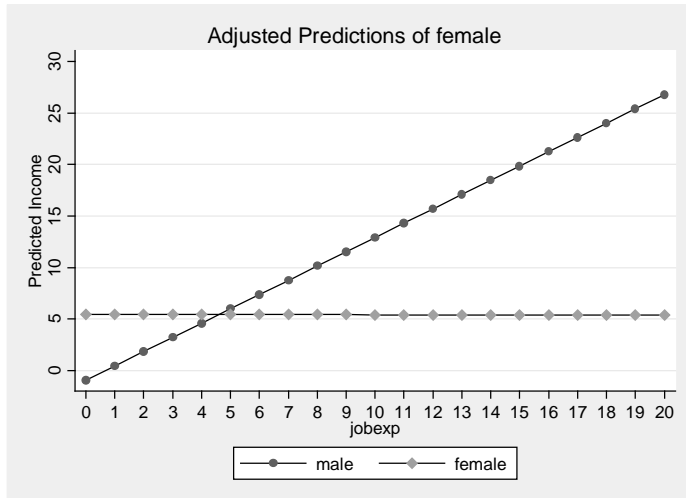
The incremental F is 76.7 with d.f. = 2, 494. This is highly significant. Differences between groups are not just limited to differences in the intercept.

2. Indicate which model you think is best, and why. Briefly discuss the substantive interpretation of what you think is the “best” model. Include in your discussion any insights that the model provides concerning gender differences. To help you with the discussion, run the following commands after your preferred model. Note that, in each case, the variable NOT being graphed is set to zero – which means that the (nonexistent in the data) point where income = 0 and jobexp = 0 is included in each graph.

```
quietly margins female, at(educ=(0(1)20) jobexp=0)
marginsplot, noci ytitle("Predicted Income") ylabel(#10) scheme(sj) name(educ)
quietly margins female, at(jobexp=(0(1)20) educ=0)
marginsplot, noci ytitle("Predicted Income") ylabel(#10) scheme(sj) name(jobexp)
```

The best model is the one that includes all the interaction effects. The graphs look like this:





According to this model, Education has almost twice as large an effect on women as it does men (because the interaction effect FEM*EDUC is almost as large as the main effect of EDUC). On the other hand, job experience has virtually no effect on women (because the B for FEMJOB is almost exactly the opposite of JOBEXP), yet for men job experience actually has a larger effect than does education. Hence, the determinants of income are very different for men than women. Further, if a choice must be made between more education and more job experience, women gain far more from education while men gain somewhat more from job experience. Again, these would be fascinating findings, if only they weren't completely hypothetical.

3. In the models above, the effect of Female changes from negative to positive once interaction terms are added to the model. Explain why this should not concern you. In particular, explain how the interpretation of the coefficient for Female changes once interaction terms are added to the model.

Once interaction effects were added, the effect of female went from being significantly negative to significantly positive. At first, this may seem odd, but it isn't once you understand how to interpret the effects. In the first model, with no interactions, the coefficient for female tells you the expected difference between a man and woman who are otherwise comparable, i.e. have identical values for JOBEXP and EDUC. This includes the special case when JOBEXP and EDUC both equal zero, but is not limited to it. In the second model with interactions, the coefficient for female has a narrower meaning: it is the expected difference between a man and woman who both have 0 years of education and 0 years of job experience. As the following descriptives show, nobody actually has such small values, and zero is far from a typical value for these variables:

```
. sum educ jobexp income
```

Variable	Obs	Mean	Std. Dev.	Min	Max
educ	500	10.9	3.690154	2	17
jobexp	500	13.15	4.611945	3	23
income	500	24.415	9.550062	5	48.3

Hence, we shouldn't pay too much attention to the coefficient for female once interaction effects are added.

4. Center the continuous variables and rerun the three models. How do your results differ from before? Explain how centering makes it easier to interpret the results.

If we want to make the results a little easier to interpret we can center education and jobexp first. In Stata, one approach is

```
. * Center the variables. There is no missing data; if there were you would have
. * to exclude it first
. sum educ, meanonly
. gen educx = educ - r(mean)
. sum jobexp, meanonly
. gen jobexpx = jobexp - r(mean)
. * Redo regressions with centered variables
. reg income educx jobexpx
```

Source	SS	df	MS	Number of obs =	500
Model	22352.7548	2	11176.3774	F(2, 497) =	239.86
Residual	23157.882	497	46.5953361	Prob > F =	0.0000
				R-squared =	0.4912
				Adj R-squared =	0.4891
Total	45510.6369	499	91.2036811	Root MSE =	6.8261

income	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
educx	1.309229	.0838474	15.61	0.000	1.14449 1.473968
jobexpx	.8533108	.0670888	12.72	0.000	.7214982 .9851233
_cons	24.415	.3052715	79.98	0.000	23.81522 25.01478

```
. reg income educx jobexpx i.female
```

Source	SS	df	MS	Number of obs =	500
Model	24326.248	3	8108.74933	F(3, 496) =	189.85
Residual	21184.3889	496	42.7104615	Prob > F =	0.0000
				R-squared =	0.5345
				Adj R-squared =	0.5317
Total	45510.6369	499	91.2036811	Root MSE =	6.5353

income	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
educx	1.281368	.0803805	15.94	0.000	1.12344 1.439296
jobexpx	.7738484	.0652862	11.85	0.000	.6455767 .9021201
1.female	-4.071766	.5990074	-6.80	0.000	-5.248671 -2.894862
_cons	26.65447	.4404099	60.52	0.000	25.78917 27.51977

```
. reg income educx jobexp i.female i.female#c.educx i.female#c.jobexp
```

Source	SS	df	MS			
Model	29345.6803	5	5869.13606	Number of obs =	500	
Residual	16164.9566	494	32.7225842	F(5, 494) =	179.36	
Total	45510.6369	499	91.2036811	Prob > F =	0.0000	
				R-squared =	0.6448	
				Adj R-squared =	0.6412	
				Root MSE =	5.7204	

	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
income						
educx	.8195378	.0904314	9.06	0.000	.6418602	.9972154
jobexp	1.384972	.0756042	18.32	0.000	1.236426	1.533517
1.female	-4.181232	.5259562	-7.95	0.000	-5.214619	-3.147845
female#c.educx						
1	.7060443	.1522692	4.64	0.000	.4068693	1.005219
female#c.jobexp						
1	-1.389892	.1209307	-11.49	0.000	-1.627494	-1.15229
_cons	26.21593	.3875142	67.65	0.000	25.45455	26.97731

As we see, the effect of female changes hardly at all between models once variables are centered. Model 3 shows us that, when a man and woman both have average levels of education and job experience (10.9 years of education and 13.15 years of job experience) the woman is predicted to make \$4,181 less on average than the man does. However, you can also compute from the above coefficients that if a man and woman both had 0 years of education and job experience, the woman would be predicted to have a \$6,400 edge, i.e. regardless of whether you center or not the predictions are the same.

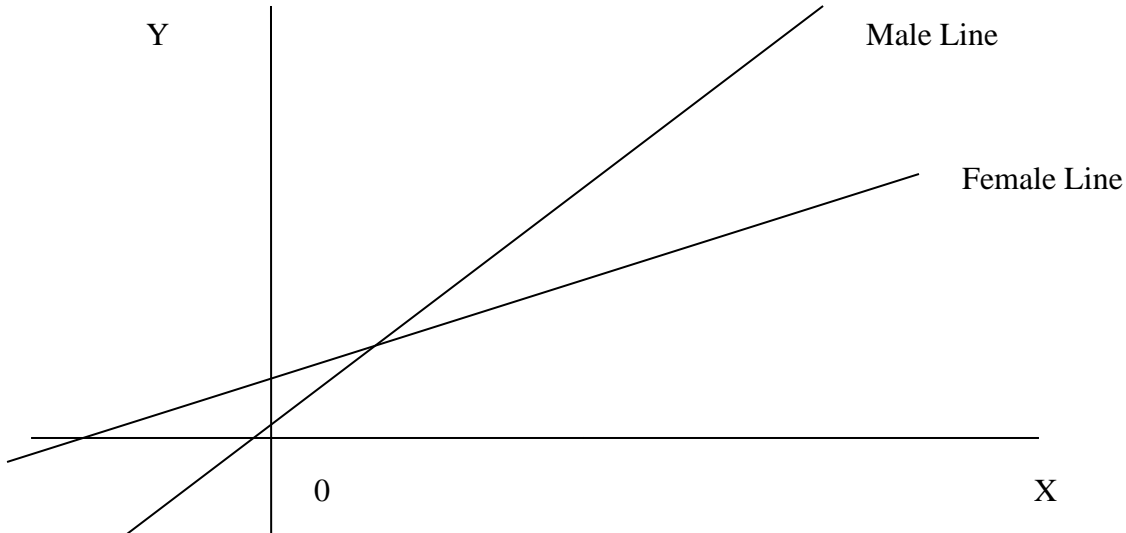
The intercept term also becomes more interpretable. Once we have centered, the intercept tells us the predicted income for a man with average levels of education and jobexp, whereas before centering it gives us the predicted income for a man with 0 years of education and 0 years of job experience. Note that the intercept is slightly lower than the male mean of 27.81 on income. This is because men tend to have above-average levels of education and job experience, i.e. they have higher mean levels of education and job experience than women do. (In other words, the average man is above average.)

```
. tabstat income educ jobexp, by(female) columns(variables)
```

```
Summary statistics: mean
by categories of: female
```

female	income	educ	jobexp
male	27.81111	11.22222	14.11111
female	21.63636	10.63636	12.36364
Total	24.415	10.9	13.15

The key thing to realize is, if the male & female lines are not parallel, at some point females have to have a predicted edge over males – although that point may never actually occur within the observed or even any possible data. The following diagram illustrates this in the case where you have one X variable rather than 2:



In the present example, women happen to have a predicted edge over men when job experience and education both equal 0. They'd have an even bigger edge if you extended the lines to include negative values of job experience and education. But, since you don't observe such negative and zero values in reality, the predicted lead for women at these values doesn't mean much.

Problem 2. Get *jqqs2.dta* and *jqqs2.do* from the course web page. Selected variables from The Quality of Employment Survey are contained in *jqqs2.dta*. Run *jqqs2.do* and answer the following questions:

1. What is the mean of each group on the dependent variable (*jsat* = Job Satisfaction)? Is the mean difference between groups statistically significant?

When we regress *jsat* (job satisfaction) on *white*, we get

```
. * Regressions, set 1. Mean job satisfaction difference between groups.
. reg jsat white
```

Source	SS	df	MS			
Model	264.913505	1	264.913505	Number of obs =	1116	
Residual	22749.1511	1114	20.421141	F(1, 1114) =	12.97	
Total	23014.0646	1115	20.6404167	Prob > F =	0.0003	
				R-squared =	0.0115	
				Adj R-squared =	0.0106	
				Root MSE =	4.519	

	jsat	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
	white	1.489367	.4135134	3.60	0.000	.6780138	2.30072
	_cons	17.98074	.387499	46.40	0.000	17.22043	18.74105

This means that non-whites have an average score of 17.98 on the JSAT scale, while whites score an average of 1.49 points higher (i.e. 19.47). The T value shows that this difference is statistically significant.

2. Are there any statistically significant differences in the model parameters between groups?

We'll contrast the model in which there are no differences across groups with the model where all parameters are free to vary.

```
. * Regressions, set 2. Test for any differences between groups.
. nestreg: reg jsat (goodjob tenure firmsize hrswk) (white goodjobwh tenurewh firmszwh hrswkwh)
```

Block 1: goodjob tenure firmsize hrswk

Source	SS	df	MS			
Model	1024.96398	4	256.240994	Number of obs =	1116	
Residual	21989.1006	1111	19.7921698	F(4, 1111) =	12.95	
Total	23014.0646	1115	20.6404167	Prob > F =	0.0000	
				R-squared =	0.0445	
				Adj R-squared =	0.0411	
				Root MSE =	4.4488	

jsat	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
goodjob	1.034038	.2971628	3.48	0.001	.4509745	1.617102
tenure	.1036898	.0196212	5.28	0.000	.0651909	.1421887
firmsize	-.2064776	.0728452	-2.83	0.005	-.3494073	-.0635479
hrswk	-.0294379	.0130543	-2.26	0.024	-.0550518	-.0038239
_cons	20.14754	.6331961	31.82	0.000	18.90514	21.38993

Block 2: white goodjobwh tenurewh firmszwh hrswkwh

Source	SS	df	MS			
Model	1335.39722	9	148.377468	Number of obs =	1116	
Residual	21678.6674	1106	19.6009651	F(9, 1106) =	7.57	
Total	23014.0646	1115	20.6404167	Prob > F =	0.0000	
				R-squared =	0.0580	
				Adj R-squared =	0.0504	
				Root MSE =	4.4273	

jsat	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
goodjob	1.348528	1.109807	1.22	0.225	-.8290381	3.526093
tenure	.150903	.0527798	2.86	0.004	.0473432	.2544629
firmsize	.1039604	.2153092	0.48	0.629	-.3185003	.5264211
hrswk	-.0754383	.0505458	-1.49	0.136	-.1746147	.0237382
white	1.127171	2.403992	0.47	0.639	-3.589728	5.844071
goodjobwh	-.448483	1.152123	-0.39	0.697	-2.709077	1.812111
tenurewh	-.0533176	.0568131	-0.94	0.348	-.1647912	.058156
firmszwh	-.3435501	.2287153	-1.50	0.133	-.7923151	.1052148
hrswkwh	.0470711	.0523105	0.90	0.368	-.0555679	.14971
_cons	19.33807	2.31209	8.36	0.000	14.80149	23.87464

Block	F	Block df	Residual df	Pr > F	R2	Change in R2
1	12.95	4	1111	0.0000	0.0445	
2	3.17	5	1106	0.0076	0.0580	0.0135

The incremental F is 3.17 (see the F change statistic in the printout), with d.f. = 5, 1106. This is highly significant, so we conclude that one or more parameters likely differ across groups. We could have also done

```
. quietly reg jsat goodjob tenure firmsize hrswk white goodjobwh tenurewh firmszwh hrswkwh
```

```
. test white tenurewh firmszwh goodjobwh hrswkwh
```

```
( 1) white = 0
( 2) tenurewh = 0
( 3) firmszwh = 0
( 4) goodjobwh = 0
( 5) hrswkwh = 0
```

```
F( 5, 1106) = 3.17
Prob > F = 0.0076
```

```
. reg jsat i.goodjob tenure firmsize hrswk i.white i.white#(i.goodjob c.tenure
c.firmsize c.hrswk)
```

Source	SS	df	MS	Number of obs =	1116
Model	1335.39722	9	148.377468	F(9, 1106) =	7.57
Residual	21678.6674	1106	19.6009651	Prob > F =	0.0000
Total	23014.0646	1115	20.6404167	R-squared =	0.0580
				Adj R-squared =	0.0504
				Root MSE =	4.4273

jsat	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
1.goodjob	1.348528	1.109807	1.22	0.225	-.8290381 3.526093
tenure	.150903	.0527798	2.86	0.004	.0473432 .2544629
firmsize	.1039604	.2153092	0.48	0.629	-.3185003 .5264211
hrswk	-.0754383	.0505458	-1.49	0.136	-.1746147 .0237382
1.white	1.127171	2.403992	0.47	0.639	-3.589728 5.844071
white#					
goodjob					
1 1	-.448483	1.152123	-0.39	0.697	-2.709077 1.812111
white#					
c.tenure					
1	-.0533176	.0568131	-0.94	0.348	-.1647912 .058156
white#					
c.firmsize					
1	-.3435501	.2287153	-1.50	0.133	-.7923151 .1052148
white#					
c.hrswk					
1	.0470711	.0523105	0.90	0.368	-.0555679 .14971
_cons	19.33807	2.31209	8.36	0.000	14.80149 23.87464

```
. testparm i.white i.white#(i.goodjob c.tenure c.firmsize c.hrswk)
```

```
( 1) 1.white = 0
( 2) 1.white#1.goodjob = 0
( 3) 1.white#c.tenure = 0
( 4) 1.white#c.firmsize = 0
( 5) 1.white#c.hrswk = 0
```

```
F( 5, 1106) = 3.17
Prob > F = 0.0076
```

3. If the answer to 2 is yes, are these differences limited to differences in the intercepts? Or are there differences in the effects of the IVs across groups (i.e. are there statistically significant interaction effects? Or is it just the coefficient of the dummy variable for group membership that is statistically significant?)

Even though the incremental F is significant, none of the T values for WHITE or the interaction terms are. It is unlikely that all of the interaction terms belong in the model, and it may be that none of them do. We therefore estimate a more extensive set of models, including one in which only the main effects of the variables (including white) are in the model, and contrast that with the model that also includes interaction terms:

```
. * Regressions, set 3. More detailed tests for differences in effects.
. nestreg: reg jsat (goodjob tenure firmsize hrswk) (white) (goodjobwh tenurewh
firmzwh hrskwh)
```

```
Block 1: goodjob tenure firmsize hrswk
```

Source	SS	df	MS	Number of obs =	1116
Model	1024.96398	4	256.240994	F(4, 1111) =	12.95
Residual	21989.1006	1111	19.7921698	Prob > F =	0.0000
Total	23014.0646	1115	20.6404167	R-squared =	0.0445
				Adj R-squared =	0.0411
				Root MSE =	4.4488

jsat	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
goodjob	1.034038	.2971628	3.48	0.001	.4509745 1.617102
tenure	.1036898	.0196212	5.28	0.000	.0651909 .1421887
firmsize	-.2064776	.0728452	-2.83	0.005	-.3494073 -.0635479
hrswk	-.0294379	.0130543	-2.26	0.024	-.0550518 -.0038239
_cons	20.14754	.6331961	31.82	0.000	18.90514 21.38993

Block 2: white

Source	SS	df	MS	Number of obs = 1116		
Model	1242.38355	5	248.476711	F(5, 1110)	=	12.67
Residual	21771.6811	1110	19.6141271	Prob > F	=	0.0000
				R-squared	=	0.0540
				Adj R-squared	=	0.0497
Total	23014.0646	1115	20.6404167	Root MSE	=	4.4288

jsat	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
goodjob	.9175087	.2978865	3.08	0.002	.3330246	1.501993
tenure	.1041977	.0195334	5.33	0.000	.0658712	.1425243
firmsize	-.1999761	.0725431	-2.76	0.006	-.3423132	-.057639
hrswk	-.0318354	.0130154	-2.45	0.015	-.057373	-.0062978
white	1.363098	.4094135	3.33	0.001	.559786	2.166409
_cons	19.06165	.7097216	26.86	0.000	17.66911	20.4542

Block 3: goodjobwh tenurewh firmszwh hrswkwh

Source	SS	df	MS	Number of obs = 1116		
Model	1335.39722	9	148.377468	F(9, 1106)	=	7.57
Residual	21678.6674	1106	19.6009651	Prob > F	=	0.0000
				R-squared	=	0.0580
				Adj R-squared	=	0.0504
Total	23014.0646	1115	20.6404167	Root MSE	=	4.4273

jsat	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
goodjob	1.348528	1.109807	1.22	0.225	-.8290381	3.526093
tenure	.150903	.0527798	2.86	0.004	.0473432	.2544629
firmsize	.1039604	.2153092	0.48	0.629	-.3185003	.5264211
hrswk	-.0754383	.0505458	-1.49	0.136	-.1746147	.0237382
white	1.127171	2.403992	0.47	0.639	-3.589728	5.844071
goodjobwh	-.448483	1.152123	-0.39	0.697	-2.709077	1.812111
tenurewh	-.0533176	.0568131	-0.94	0.348	-.1647912	.058156
firmszwh	-.3435501	.2287153	-1.50	0.133	-.7923151	.1052148
hrswkwh	.0470711	.0523105	0.90	0.368	-.0555679	.14971
_cons	19.33807	2.31209	8.36	0.000	14.80149	23.87464

Block	F	Block df	Residual df	Pr > F	R2	Change in R2
1	12.95	4	1111	0.0000	0.0445	
2	11.08	1	1110	0.0009	0.0540	0.0094
3	1.19	4	1106	0.3151	0.0580	0.0040

Note that in the 2nd model the T value for white is statistically significant (as is the incremental F test for the model). When whites and nonwhites have identical values on other variables, whites still tend to score about 1.36 points higher on the job satisfaction scale, i.e. the intercepts are different across races.

When the interaction effects are added in the unconstrained model, the incremental F is only 1.19 with d.f. = 4, 1106. This is not significant.

4. Briefly discuss the substantive interpretation of what you think is the “best” model for the data set. Include in your discussion any insights that the model provides concerning group differences.

The model with main effects only (including white) is best. Differences between races are limited to differences in the intercepts. Perhaps whites are more satisfied with things in general. Or, perhaps whites tend to receive better treatment on the job simply because they are white, leading to a higher level of satisfaction. All other variables have the same effect on whites that they do on non-whites.

5. Examine the compositional differences (i.e. mean differences) between groups on the independent variables. Discuss how these differences help lead to mean differences on the dependent variable.

```
. * t-tests for compositional differences
. ttest goodjob, by(white)
```

Two-sample t test with equal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
NonWhite	136	.1397059	.0298376	.3479633	.0806963	.1987155
White	980	.3173469	.0148756	.4656814	.2881551	.3465388
combined	1116	.2956989	.0136668	.4565609	.2688834	.3225145
diff		-.1776411	.0414566		-.2589828	-.0962993

```
diff = mean(NonWhite) - mean(White)          t = -4.2850
Ho: diff = 0                                degrees of freedom = 1114
```

```
Ha: diff < 0                                Ha: diff != 0                                Ha: diff > 0
Pr(T < t) = 0.0000                          Pr(|T| > |t|) = 0.0000                          Pr(T > t) = 1.0000
```

```
. ttest tenure, by(white)
```

Two-sample t test with equal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
NonWhite	136	7.676471	.6264749	7.30589	6.437496	8.915445
White	980	7.680612	.2201163	6.89073	7.248658	8.112566
combined	1116	7.680108	.207721	6.939249	7.272539	8.087676
diff		-.0041417	.6352679		-1.250598	1.242315

```
diff = mean(NonWhite) - mean(White)          t = -0.0065
Ho: diff = 0                                degrees of freedom = 1114
```

```
Ha: diff < 0                                Ha: diff != 0                                Ha: diff > 0
Pr(T < t) = 0.4974                          Pr(|T| > |t|) = 0.9948                          Pr(T > t) = 0.5026
```

. ttest firmsize, by(white)

Two-sample t test with equal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
NonWhite	136	3.558824	.1554264	1.812568	3.251438	3.866209
White	980	3.372449	.0595741	1.864965	3.255541	3.489357
combined	1116	3.395161	.0556436	1.858862	3.285983	3.504339
diff		.1863745	.1700817		-.147342	.5200911

diff = mean(NonWhite) - mean(White) t = 1.0958
Ho: diff = 0 degrees of freedom = 1114

Ha: diff < 0 Ha: diff != 0 Ha: diff > 0
Pr(T < t) = 0.8633 Pr(|T| > |t|) = 0.2734 Pr(T > t) = 0.1367

. ttest hrswk, by(white)

Two-sample t test with equal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
NonWhite	136	40.75	.6536724	7.623064	39.45724	42.04276
White	980	43.08765	.3392098	10.61895	42.42199	43.75331
combined	1116	42.80278	.309105	10.32614	42.19628	43.40927
diff		-2.337653	.9427301		-4.18738	-.4879263

diff = mean(NonWhite) - mean(White) t = -2.4797
Ho: diff = 0 degrees of freedom = 1114

Ha: diff < 0 Ha: diff != 0 Ha: diff > 0
Pr(T < t) = 0.0066 Pr(|T| > |t|) = 0.0133 Pr(T > t) = 0.9934

. ttest jsat, by(white)

Two-sample t test with equal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
NonWhite	136	17.98074	.438593	5.11483	17.11333	18.84814
White	980	19.4701	.141528	4.430527	19.19237	19.74784
combined	1116	19.2886	.1359963	4.543173	19.02176	19.55544
diff		-1.489367	.4135134		-2.30072	-.6780138

diff = mean(NonWhite) - mean(White) t = -3.6017
Ho: diff = 0 degrees of freedom = 1114

Ha: diff < 0 Ha: diff != 0 Ha: diff > 0
Pr(T < t) = 0.0002 Pr(|T| > |t|) = 0.0003 Pr(T > t) = 0.9998

We can note several things from the above:

- More than twice as many whites (about 17.8% more) are in good jobs as are nonwhites. This difference is highly significant.

- However, there are only trivial, and non-significant, differences in job tenure, i.e. whites and nonwhites have been in jobs about equally long.
- Whites tend to work in slightly smaller firms, but the difference is not statistically significant.
- Whites work a statistically significant 2.3 more hours a week.

Hence, compositional (mean) differences in Tenure and Firm Size have virtually no effect on racial differences in Job satisfaction. The longer hours that whites work does tend to reduce their job satisfaction relative to non-whites (because hours worked has a negative effect on Job Satisfaction; an average of 2.3 more hours worked times an effect of $-.031835$ for hours worked results in a net mean white disadvantage of about $.07$ on the JSAT scale). However, the much higher proportion of whites in good jobs gives Whites an advantage over non-whites. (An additional 17.8% of whites are in good jobs, the effect of good job is $.9175$, producing a net white advantage of about $.16$ on JSAT).

As we saw, overall whites score 1.49 points higher on the JSAT scale. A small part of this advantage is due to the greater likelihood of whites being in good jobs. Most of the difference, however, seems to stem from differences in the intercepts. Even when a white and nonwhite have identical values on all other variables, the white tends to score 1.36 points higher. This may reflect a general attitudinal difference between the races. However, it may also reflect the effects of differential treatment or of other variables that are not considered here.

Following is a copy of jgqes2.do:

```

version 12.1
* Problem 2. Quality of Employment survey.
use https://www3.nd.edu/~rwilliam/statafiles/jgqes2.dta, clear
* Tidy up the data for our purposes
keep jsat prof mang tenure firmsize hrswk race
* Compute "Good job" variable (professional or managerial).
gen goodjob=prof+mang
* Compute dummy variable for white/ nonwhite.
recode race (1=1) (else=0), gen(white)
* hrswk (hours work per week) seems to be off by factor of 10,
* so correct.
replace hrswk = hrswk/10.
label define gdjob 0 "Other" 1 "Prof, Manager"
label values goodjob goodjob
label define white 0 "NonWhite" 1 "White"
label values white white
* Limit to cases with complete data
keep if !missing(jsat, goodjob, tenure, firmsize, hrswk, white)

* Compute race interaction terms.
gen tenurewh=tenure*white
gen firmszwh=firmsize*white
gen goodjobwh=goodjob*white
gen hrswkwh=hrswk*white

* Regressions, set 1. Mean job satisfaction difference between groups.
reg jsat white
* Regressions, set 2. Test for any differences between groups.
nestreg: reg jsat (goodjob tenure firmsize hrswk) (white goodjobwh tenurewh firmszwh hrswkwh)

```

```
* Regressions, set 3. More detailed tests for differences in effects.
nestreg: reg jsat (goodjob tenure firmsize hrswk) (white) (goodjobwh tenurewh firmszwh hrskwkwh)
* t-tests for compositional differences
ttest goodjob, by(white)
ttest tenure, by(white)
ttest firmsize, by(white)
ttest hrswk, by(white)
ttest jsat, by(white)
```