
EE566 Solid State Devices

Spring 2009

Dept of Electrical Engineering

University of Notre Dame

Instructor: Debdeep Jena (djena@nd.edu, x8835)

Final Exam (2 Hours, 4 Problems, 25 Points)

05/04/2009

Problem 1 (6 Points): Short Questions (give brief answers)

- As a rectifier, what are the advantages/disadvantages of a p-n junction vs a Schottky diode?
- MOS capacitors can be used for DRAM memory cells. What is the effect of the bandgap on the working of the memory? How will Germanium perform as compared to Silicon?
- What is “quantum capacitance”, and how does it affect HEMT/MOSFET performance?

Problem 2 (4 Points): p-n Junctions and HBTs

The operation of bipolar transistors is dependent on the high degree of asymmetry of the electron and hole components of the current flowing across a forward biased (Emitter-Base) n-p junction diode. Consider the hypothetical situation the diffusion constants of electrons and holes are equal, and that the diode has a short base (doping N_{AB} , width W_B) and a short emitter (doping N_{DE} , width W_E).

- Assuming that the base transport factor is unity, show that the Emitter-Base bandgap difference in a heterojunction diode necessary to obtain a gain of β is given by the relation $\Delta E_G \geq kT \ln[\beta \frac{W_B N_{AB}}{W_E N_{DE}}]$.
- Explain why in determining the gain in BJTs, the emitter injection efficiency is more important whereas in HBTs, the base transport factor is more important.

Problem 3 (5 Points): HEMTs

Show that the intrinsic channel transit time for electrons in a HEMT is

a) $\tau_{LC} = \frac{4L^2}{3\mu(V_G - V_T)}$ for a long-channel HEMT. All symbols have their usual meanings.

b) $\frac{4L}{3v_{sat}} \leq \tau \leq \tau_{LC}$ for a short-channel HEMT.

- c) What do you think would be the “channel transit-time” in a ballistic HEMT?

Contd...

EE566 Solid State Devices

Spring 2009

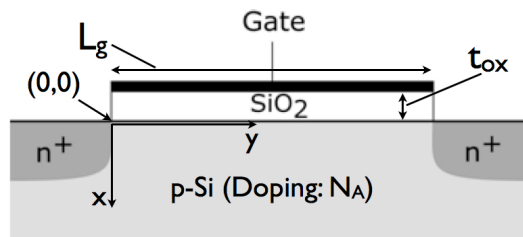
Dept of Electrical Engineering

University of Notre Dame

Instructor: Debdeep Jena (djena@nd.edu, x8835)

Contd...

Problem 4 (10 Points): MOSFETs



Consider the MOSFET shown above (width = W). Assume that the n^+ regions are degenerately doped ($N_D = N_c$), and that there are no charges in the oxide layer. Remember to draw relevant sketches. Give all answers *algebraically*. Use the following material properties for your answers.

Si: Intrinsic carrier concentration: n_i , Electron Affinity: $q\chi_{Si}$, Bandgap: E_{gSi}

SiO₂: Electron Affinity: $q\chi_{ox}$, Bandgap: E_{gox}

- Find the work-function of the gate metal for a zero flat-band voltage.
- Calculate the threshold voltage V_T for that gate metal.
- Show that in the saturation region, the small-signal capacitance between the gate and the source is

$$\text{given by } C_{GS} = \frac{2}{3} C_{ox} W L_g.$$

- Find an expression for the depletion depth at $V_G = V_T$, and call it the junction depth x_j .

- In class, we derived a characteristic length $l = \sqrt{\frac{\epsilon_s}{\epsilon_{ox}} t_{ox} x_j}$ that controls the electrostatics of short-channel

FETs. Assuming that the electric field for reaching velocity saturation F_{sat} is much smaller than the breakdown electric field of the channel F_{BD} , derive an expression for the drain voltage at which the MOSFET channel will suffer breakdown.